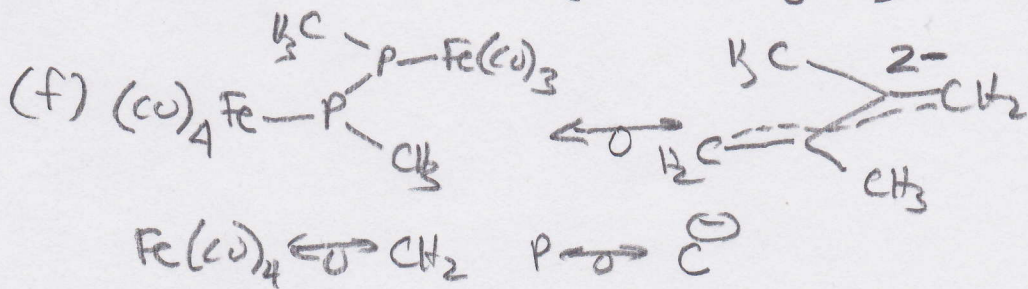
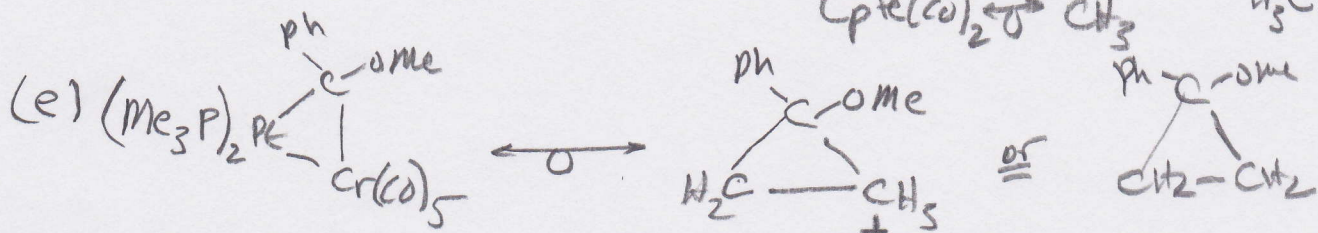
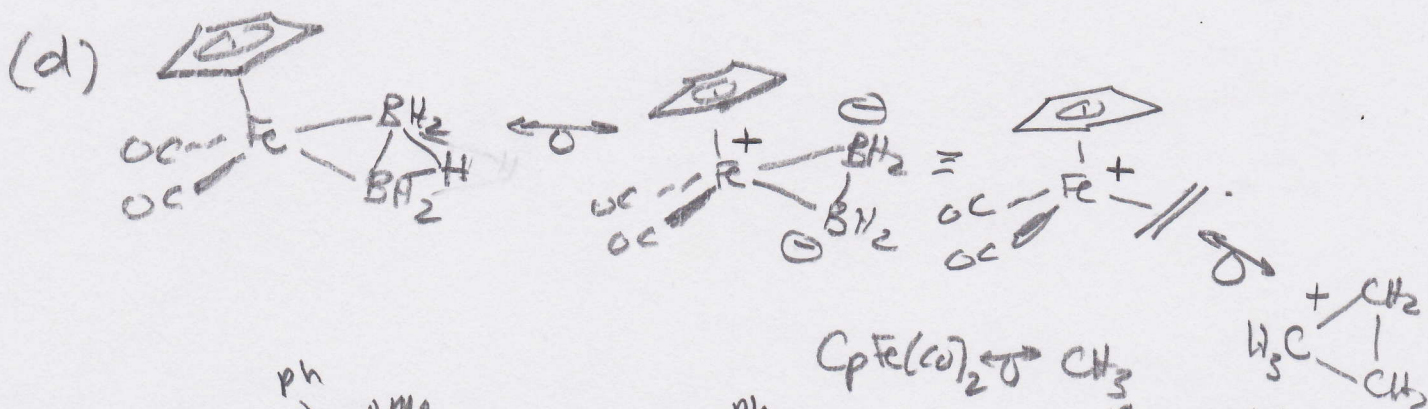
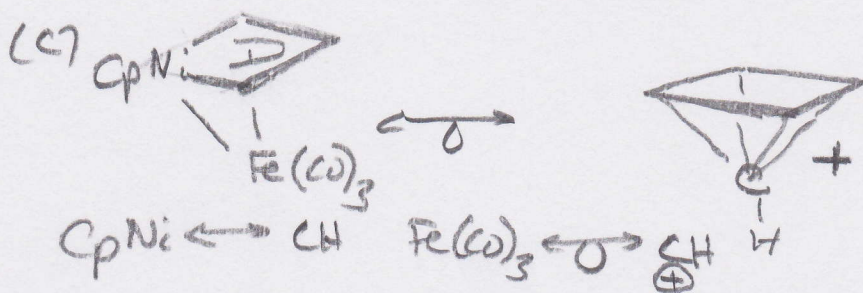
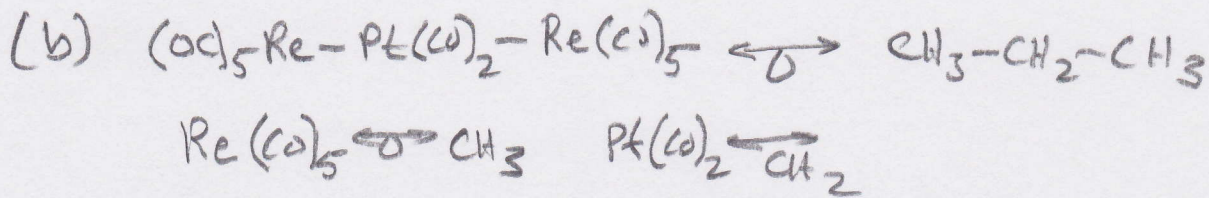
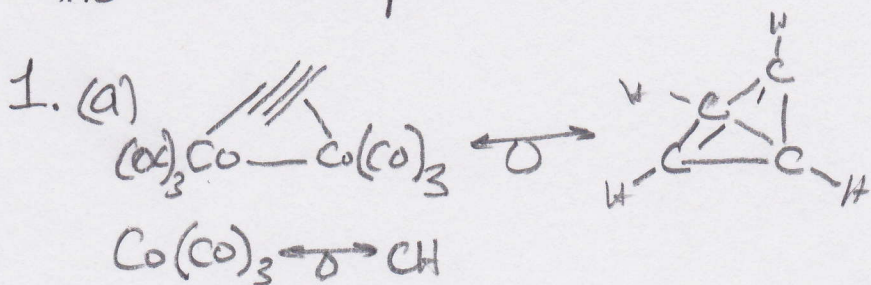
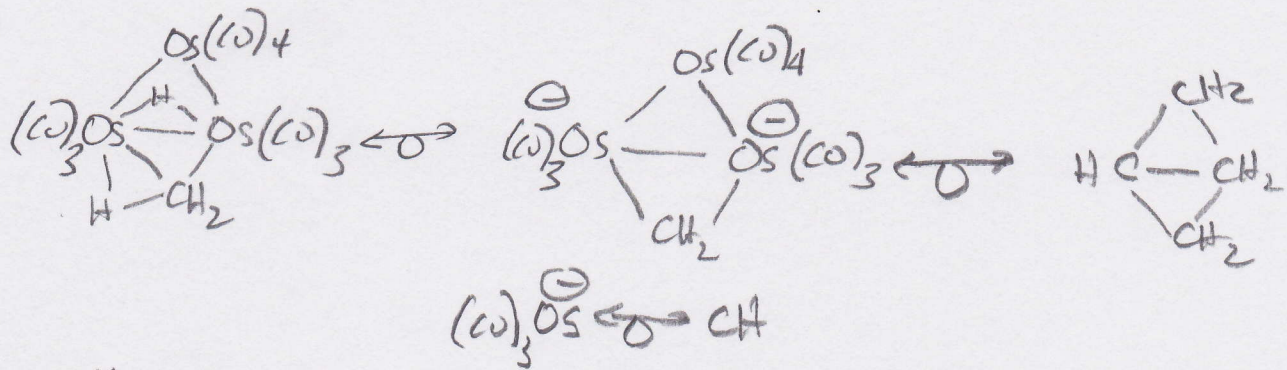


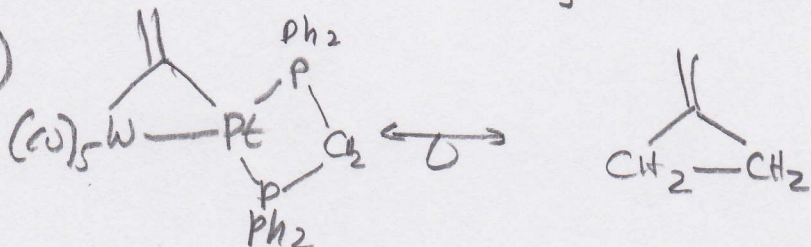
Answers - Chapter 21



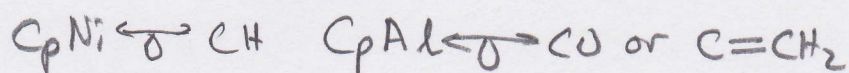
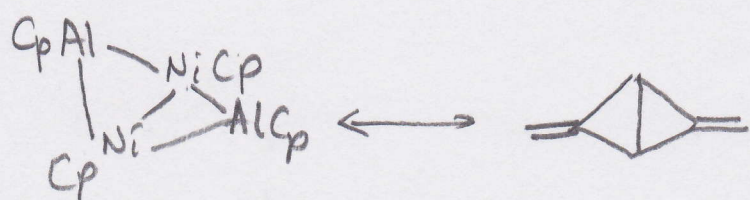
(g)



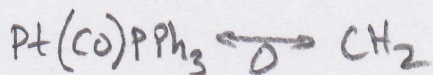
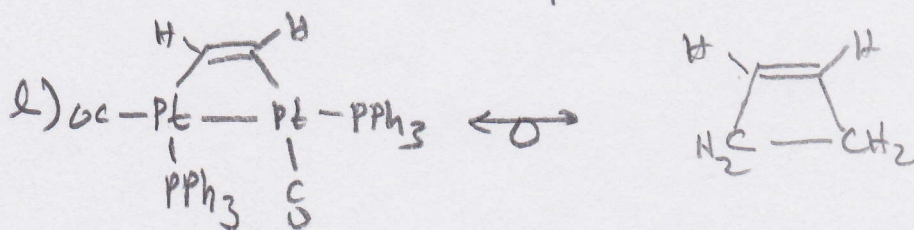
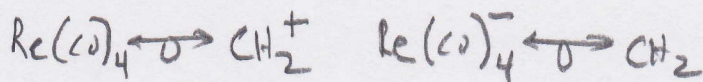
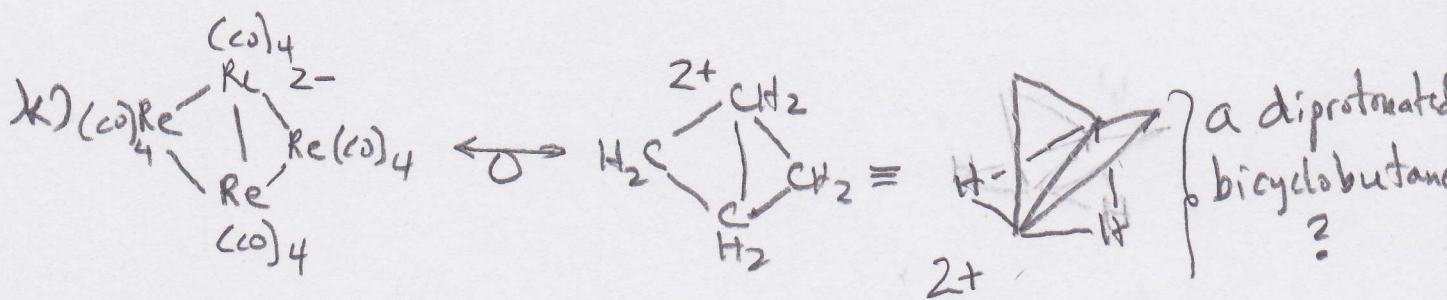
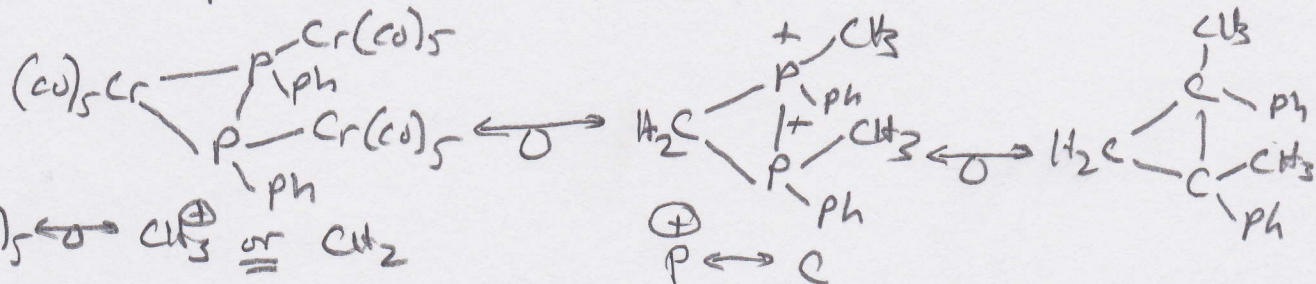
(h)

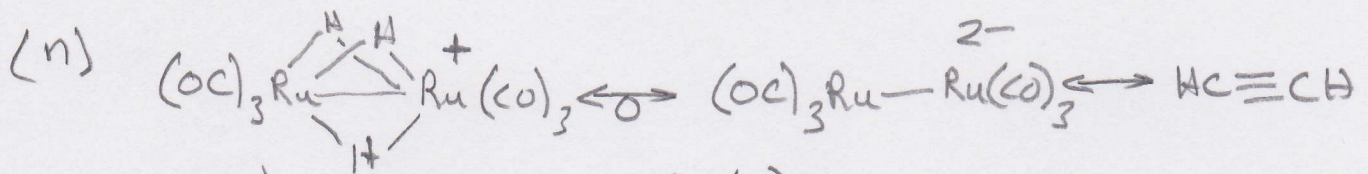
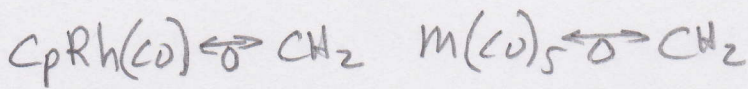
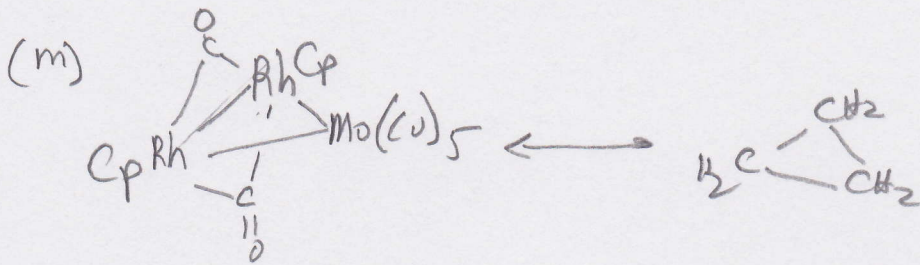


(i)

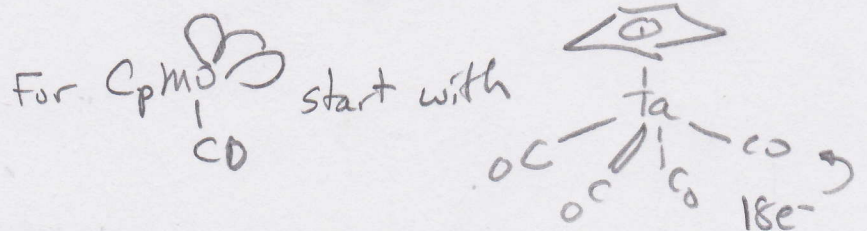
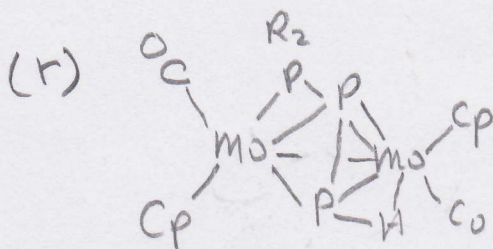
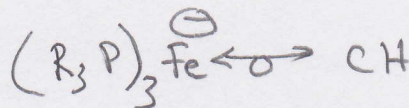
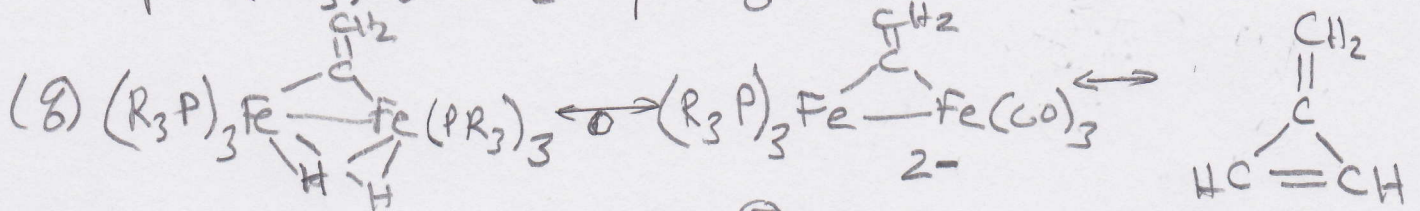
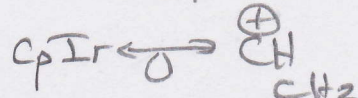
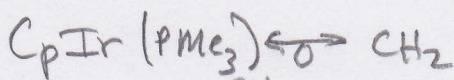
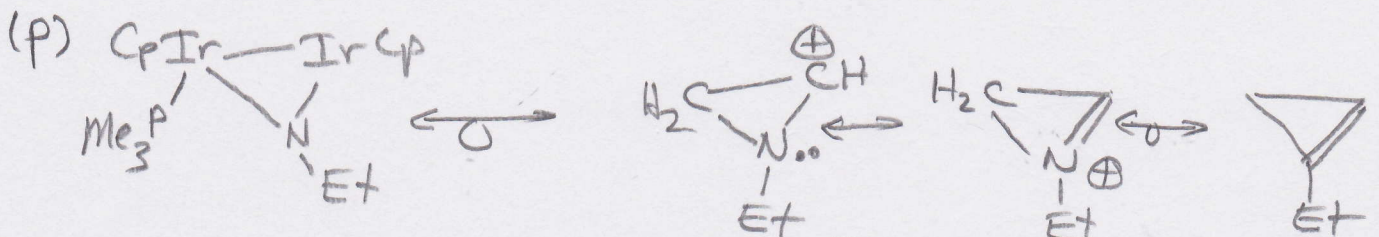
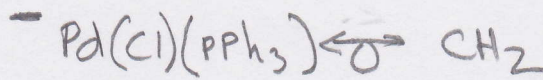
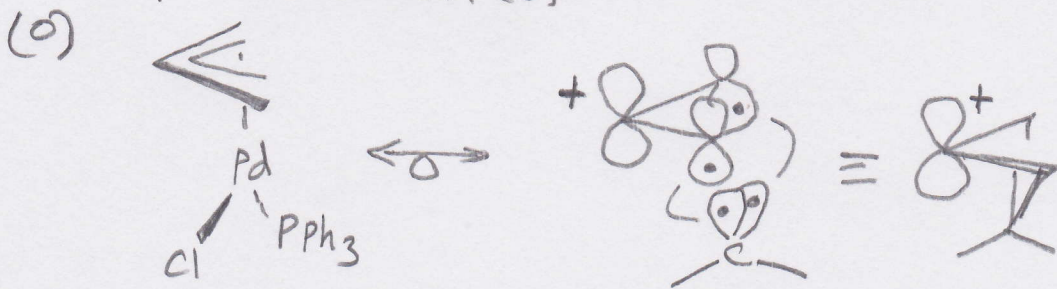


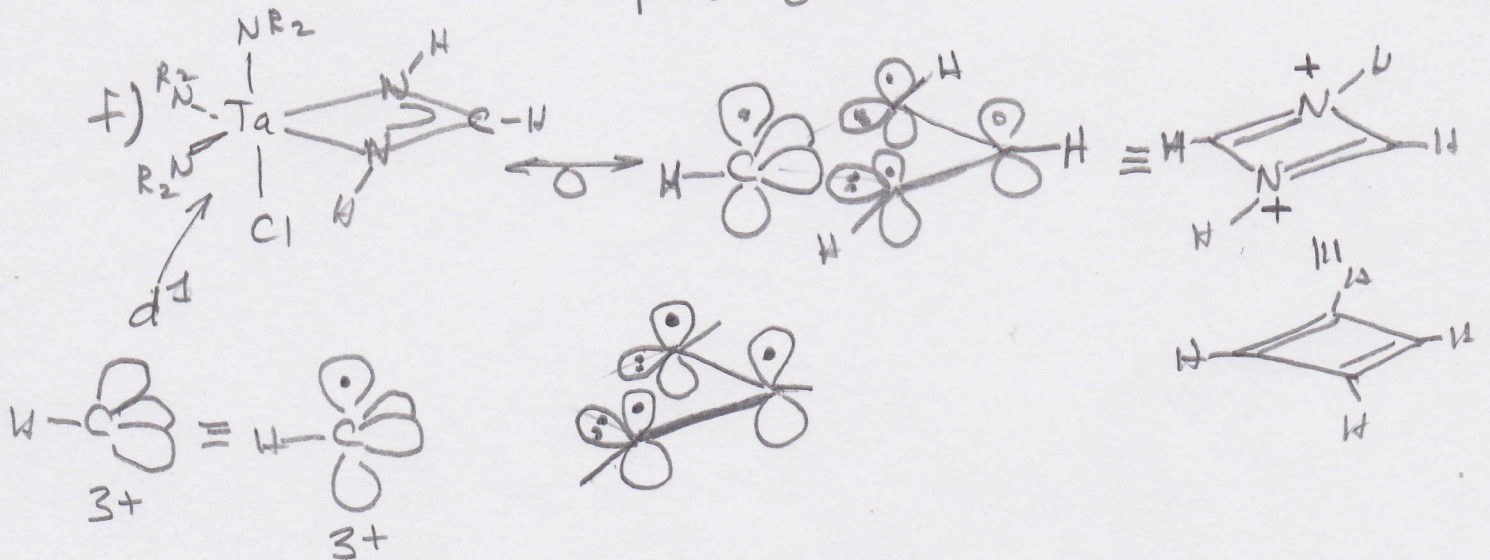
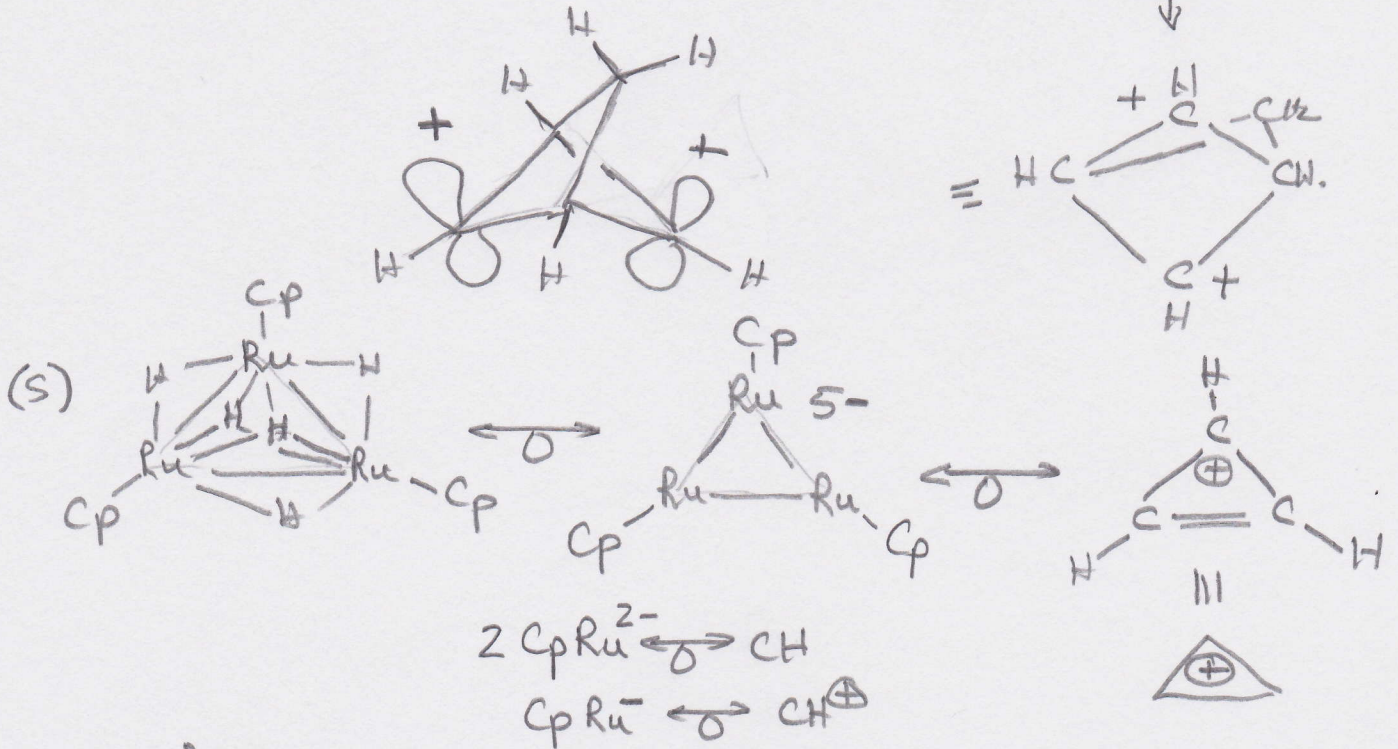
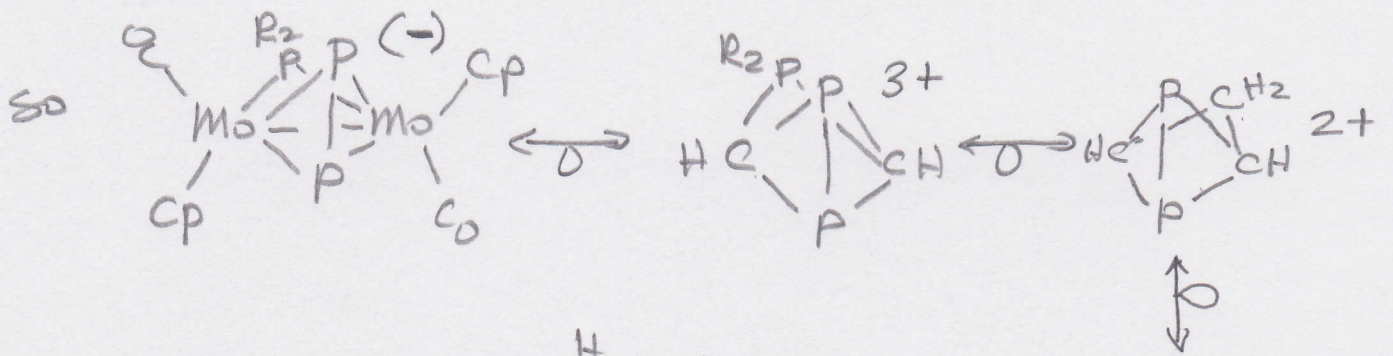
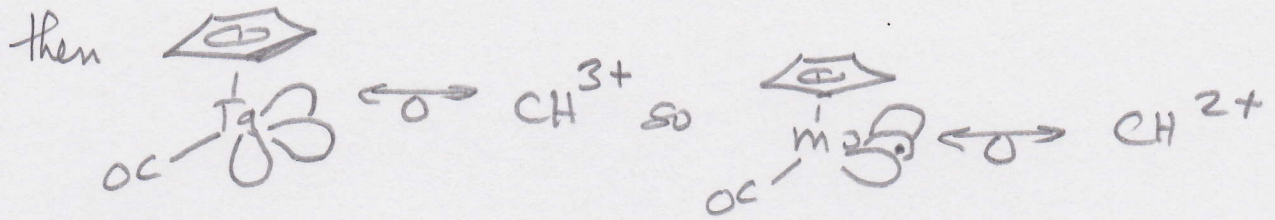
(j)

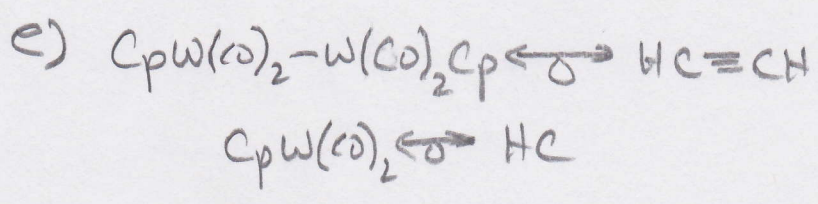
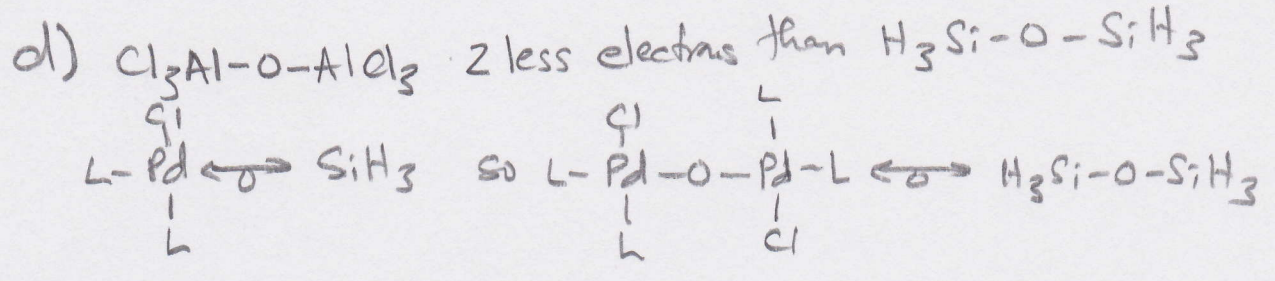
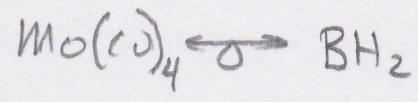
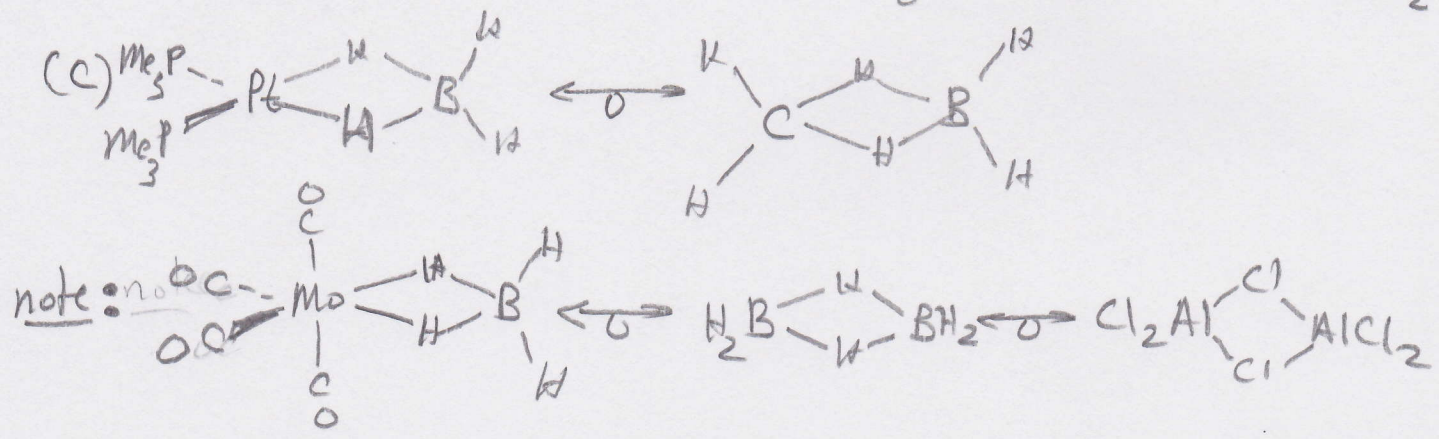
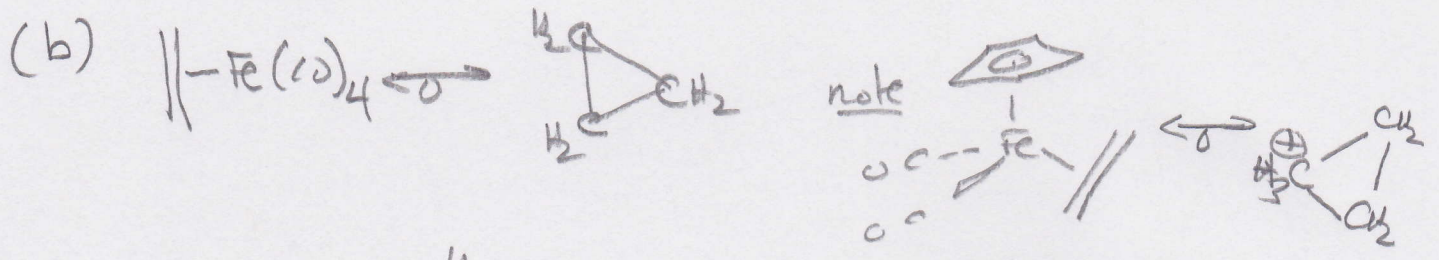
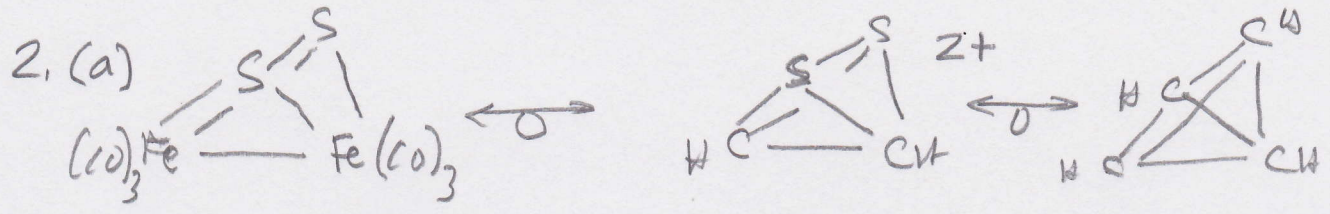




The bonding here was covered in problem 20, &(a) &(b) $\text{Ru}(\text{CO})_3^- \leftrightarrow \text{CH}$



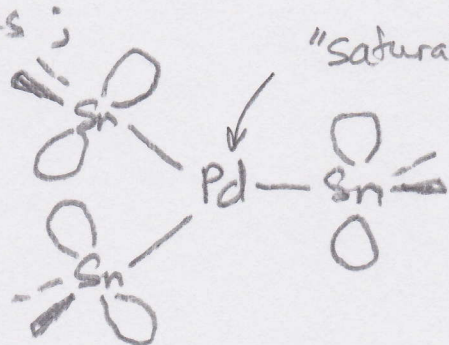




3. The answer here is that all three are isolobal, sort of, maybe...

The $\text{Pd}[\text{Sn}(\text{NR}_2)_2]_3$ structure is a d^{10} , 16 electron ML_3 complex. The $\text{Sn}(\text{NR}_2)_2$ groups are analogous to a carbene so there are two center-two electron (2c-2e)

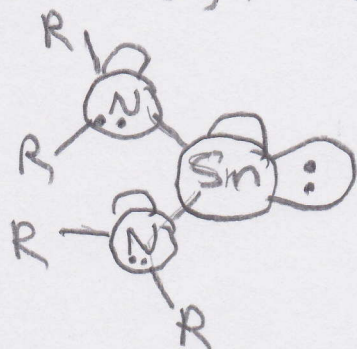
Pd-Sn bonds;



"saturated" $16e^- / d^{10}$ metal

} there will be back-bonding from the Pd d set to the empty p AOs on Sn

And, of course, there is a full octet at the nitrogens:

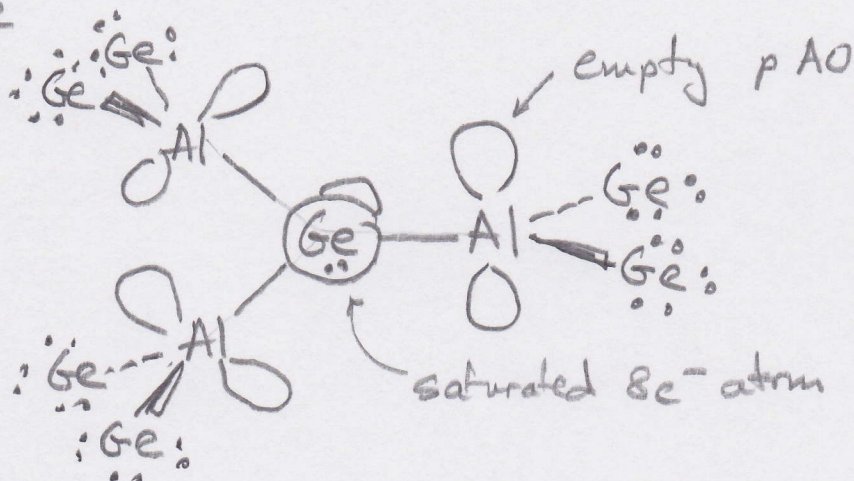


For $\text{Al}_3\text{Ge}_7^{20-}$ there are a total of $(3 \times 3) + (7 \times 4) + 20 = 57e^-$

Let there be 2c-2e Al-Ge bonds. There are 9, so $9 \times 2 = 18e^-$. Let the outside 6 Ge atoms to be totally saturated, $8e^-$ (like the N atoms in the Pd complex) so each Ge has 3 lone pairs and $6 \times 3 \times 2 = 36e^-$.

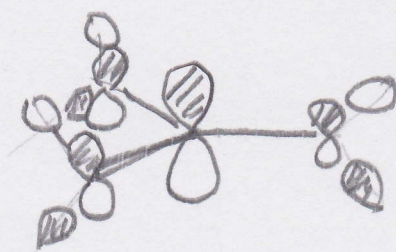
This gives a grand total of $18 + 36 = 54e^-$, $3e^-$ short of the 57 available. Putting $2e^-$ on the

central Ge atom and the last electron in the "Ba sea" uses all of the electrons. So the electronic structure looks like



The filled p AO on the central Ge atom is stabilized by the σ_{π}^* orbitals on the Ge-Al-Ge bonds

NOTE: The HOMO-LUMO gap was 3.6 eV at the EHT level!

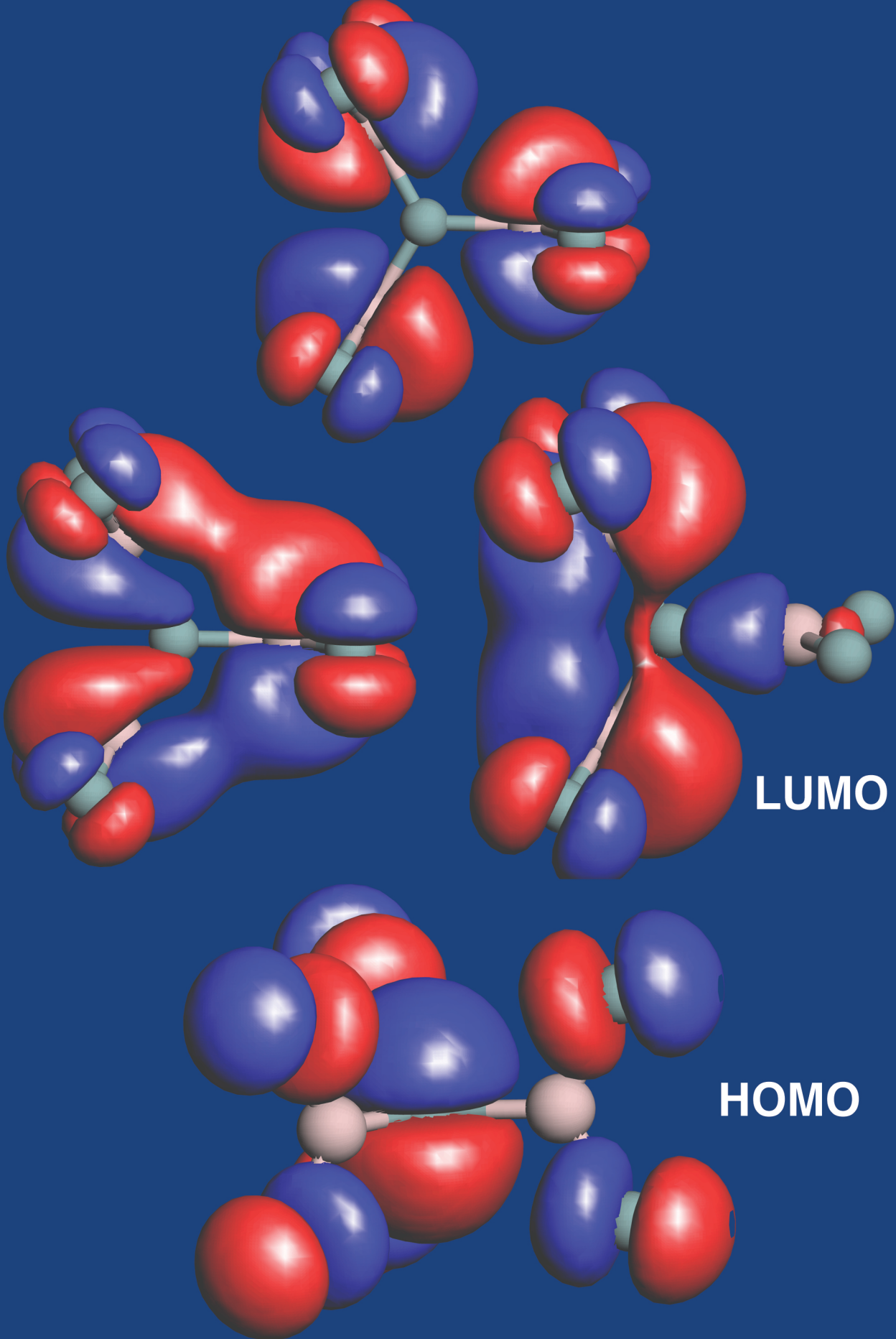


actually σ_{π} also mixes in so this is really the middle level of a 3 orbital mixing with small coefficients on Al

A plot of this MO and the 3 tangential p AOs (Lumos) at the extended Hückel level is given on the next page. So forgiving the extra electron in $\text{Ba}_{10}\text{Al}_3\text{Ge}_7$, it would appear to be isolobal to the Pd complex.

The $\text{Ca}_{10}\text{Si}_3\text{Pt}_7$ compound is more difficult to decipher.

Let us start by assuming that Ca donates its 2 electrons which gives $\text{Si}_3\text{Pt}_7^{20-}$. We'll also assume that



LUMO

HOMO

we start with $Pt(0)-d^{10}$. So there are $3 \times 4 + 20 = 32$ extra electrons to assign. There are three possible/plausible models to choose from:

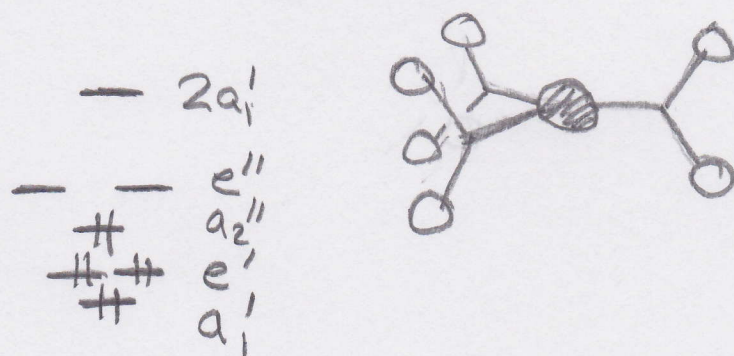
model 1: The Si atoms are saturated, $8e^-$. The Pt atoms are divided into $Pt(1-)$ and $Pt(2-)$ oxidation states and the electrons are placed in 3 ($4c-6e$) bonds in the Pt-Si region. Full details can be found in the Ponou and coworkers paper. Obviously, this is not isolobal to the other two.

model 2:

Let each Pt-Si bond be of the $2c-2e$ type giving $9 \times 2 = 18e^-$. Let the Si tangential set be fully occupied which makes for 6 more electrons. Letting the central Pt atom to be $Pt(2-)-d^{10}s^2$, then the remaining, outside Pt atoms are $d^{10}s^1$. So the total number of electrons: $18 + 6 + 2 + 6 = 32e^-$ just enough! This is actually the situation for an extended Hückel calculation on $Si_3Pt_7^{20-}$.

But, there is a problem. The Pt s AOs are the highest occupied ones. There are 7 Pt s AOs

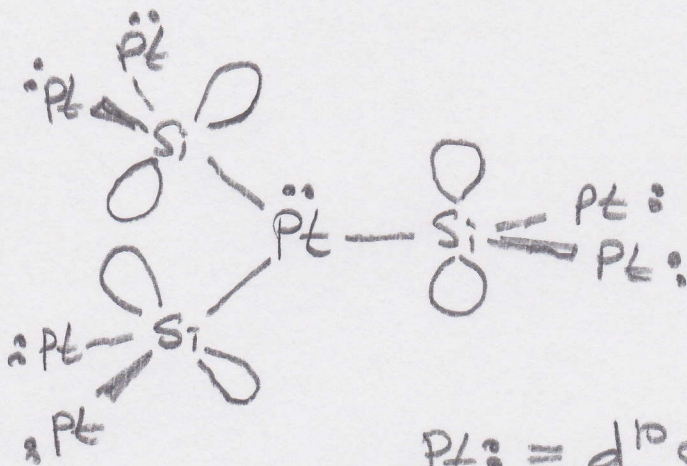
with 8 electrons in them. It is easy to take symmetry adapted combinations they will be:



These combinations are over a small range and so we might expect a significant Pt DOS at the Fermi level. The DFT calculations by Ponou and coworkers do not show this feature. Obviously this model does not make the compound isolobal to the other two.

Model 3: There are 5 Ca--Pt contacts to each of the outside Pt atoms within 3.2 \AA and 6 Ca--Pt contacts within 3.2 \AA . Thus, it is reasonable to expect Ca--Pt interactions that stabilize the Pt based orbitals including the Pt s combinations. Indeed, there is significant Ca character in the filled portion of the calculated DOS. So in this model there are again all Pt-Si 2c-2e bonds. Every Pt is $d^{10}s^2$, i.e. Pt(2-) and the Si p in-plane tangential orbitals are empty. So the total electron count is

$(9 \times 2) + (7 \times 2) = 32!$ In other words:



$Pt \equiv d^{10} s^2$ which is
a saturated electron
count

This is precisely the same picture as in the
previous two compounds. I like it!

Extended Hückel plots of the Pt's AOs and the
tangential Si p set are shown on the next page.

