

# *Lecture: Systems Analysis Methodologies*

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Dr. John C. Wright

MIT - PSFC

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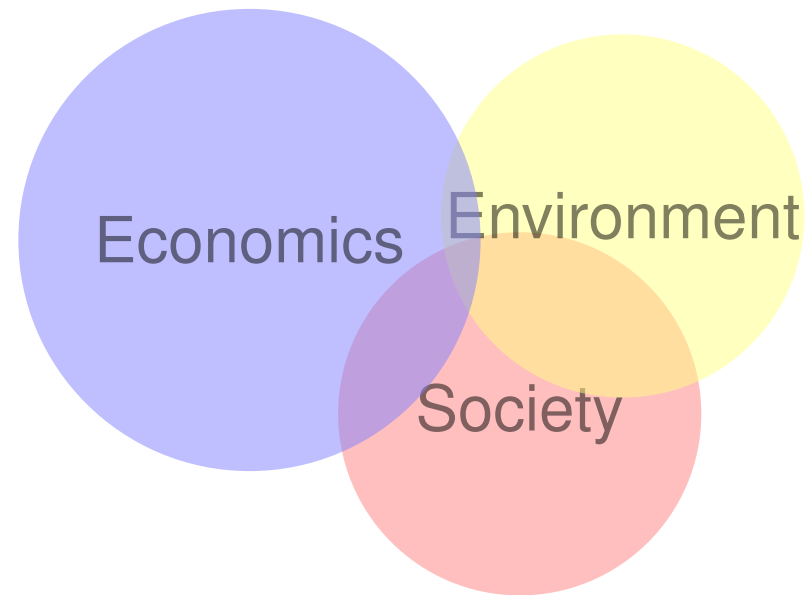
# OUTLINE

- ❑ Scoping study
- ❑ Systems analysis - increasing detail
- ❑ Life cycle analysis
- ❑ Simulation models
- ❑ Risk analysis and uncertainty
- ❑ How are all these connected?



# INTRODUCTION

- ❑ Many issues for sustainability requiring balance
- ❑ We need to quantify to proceed
- ❑ Deal with complexity and uncertainty
- ❑ This is the goal “Systems Analysis”
- ❑ End result often involves very, very large computer codes
- ❑ How do we make such computer models?



# SCOPING STUDY CHARACTERISTICS

- We'll see more of this in a fuel costs example next week.
- Basic guidelines for a scoping study:
  - Highly simplified
  - Mostly linear analysis - add separate costs
  - Very few feedback effects
- Advantages
  - Relatively simple to understand
  - Good overall picture
  - Identification of weaknesses



# SYSTEMS ANALYSIS IS THE NEXT STEP IN EVALUATION

- Assume a favorable scoping study
- Next step is a detailed systems analysis
- All elements are analyzed in much greater detail
- For example in our nuclear plant scoping study we gave the fuel price in \$/kg
- In a system analysis model these costs are further broken down
- Fuel costs:
  - Mining costs
  - Conversion costs
  - Enrichment costs
  - Finance costs



# MODULARIZATION OF SYSTEMS ANALYSIS

- ❑ Each of these may be further analyzed one or two levels deeper.
- ❑ Input data will be based on experience and future projections.
- ❑ The analysis will account for uncertainties.
- ❑ All lower level contributions are combined to form one module of the systems code
- ❑  $\Rightarrow$  the fuel cost module.



# SA INCLUDES NON-LINEAR EFFECTS

- A critical feature in SA is the inclusion of interdependencies.
- Systems analysis are not linear.
- They include feedback effects.
- For example consider mining costs:
  - Plenty of Reserves – no problem, linear relation works.
  - Reserves dwindle – other issues arise
  - Fuel costs will rise
  - Will new fuel be found, if so how much?
  - How will this affect the projected cost of fuel?



# BEWARE OF COMPLEX CODES.

- ❑ Systems analysis code contains a large number of complex modules
- ❑ Often hard to understand the whole picture, often expert in part of the picture.
- ❑ Should be more reliable than a scoping study thought.
- ❑ Warning:

**Be very careful using complex systems analysis codes!!**





# SA IS NOT ONLY ABOUT MONEY

- ❑ Investors are not the only people to carry out systems analysis
- ❑ Investors focus on financial returns
- ❑ Architectural engineers focus on technical credibility, schedule, and cost
- ❑ Environmentalists focus on pollution, waste disposal, greenhouse gasses, etc.
- ❑ Government focuses on the public good



# GOVERNMENT IMPACT ON SA IS THROUGH REGULATION

- Desirability of a regulation is in the eye of the stakeholder.
- Everyone is a lobbyist.
  - Financial institutions.
  - Engineering firms.
  - Environmental groups.
  - Industrial groups.
- Consideration of impact of regulation is part of any SA.
- There often is an uncertain political aspect to a regulation.



# STRUCTURE OF A SYSTEMS ANALYSIS

- Number of approaches to systems analysis
- Method below is fairly typical
- Goal of the analysis – answer the question

Does it make sense to build a new power plant (of type X)?

- The end product – a large, complex, hopefully all inclusive, simulation code.

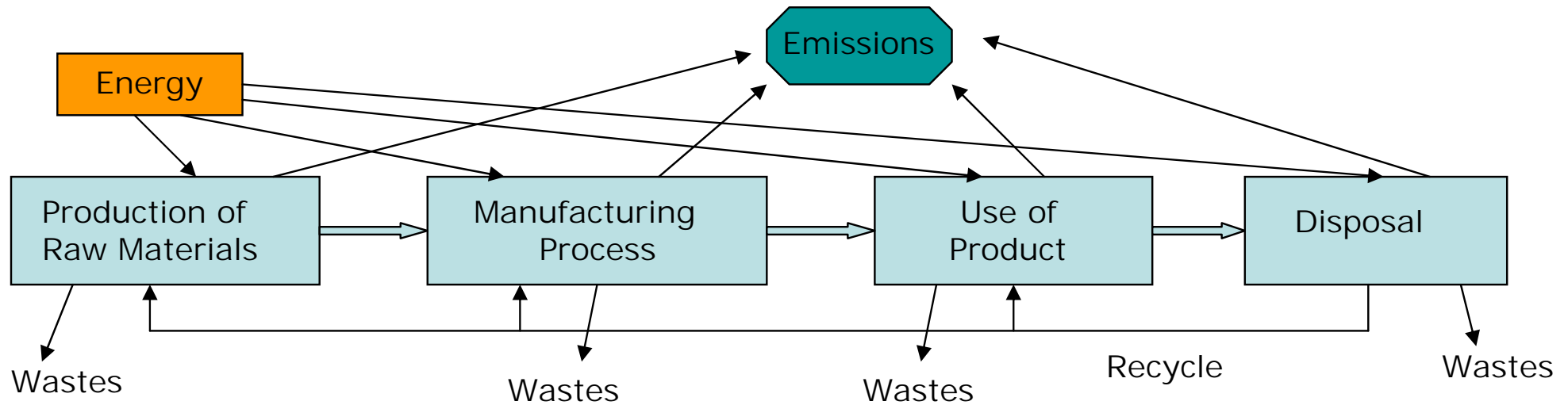


# THE SIMULATION CODE

- ❑ Technical aspects from a life cycle analysis
- ❑ Regulation aspects from a risk analysis
- ❑ Include feedback effects
- ❑ Combine to create a financial analysis



# LIFE CYCLE ANALYSIS (LCA) ELEMENTS



- Comprehensive cradle-to-grave, wells-to-wheels, dust-to-dust analysis
- Includes
  - Raw materials
  - Materials processing
  - Manufacturing
  - Distribution
  - Repair and maintenance
  - Waste disposal
  - Decommissioning





# MacDonald's Styrofoam or paper?

Trees (natural?)



Paper (good ?)

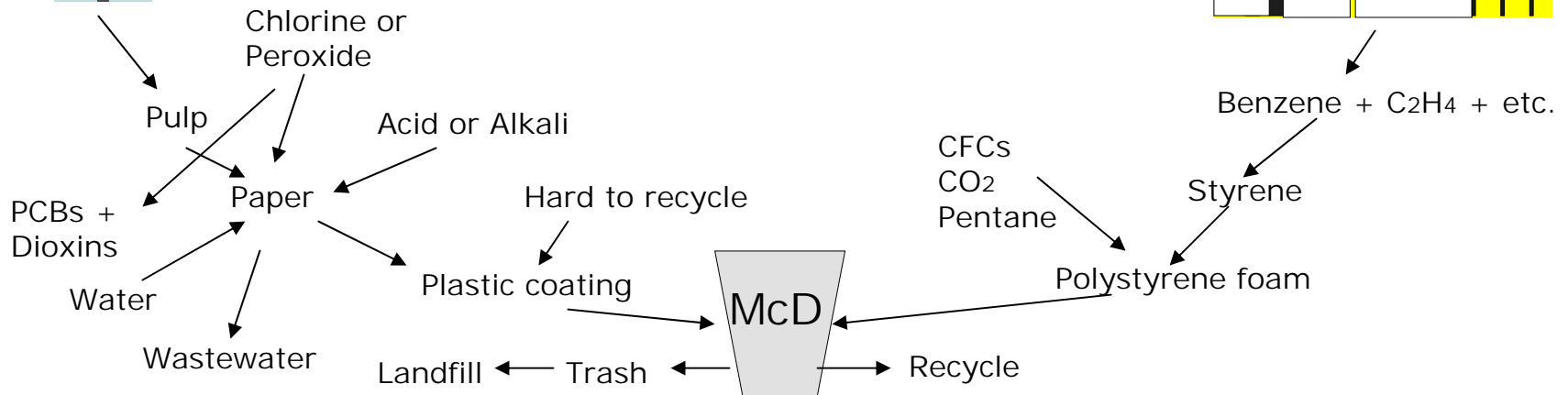
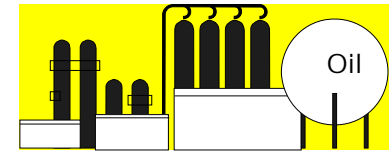
Oil (bad?)



Chemicals (worse)



Styrofoam (??)



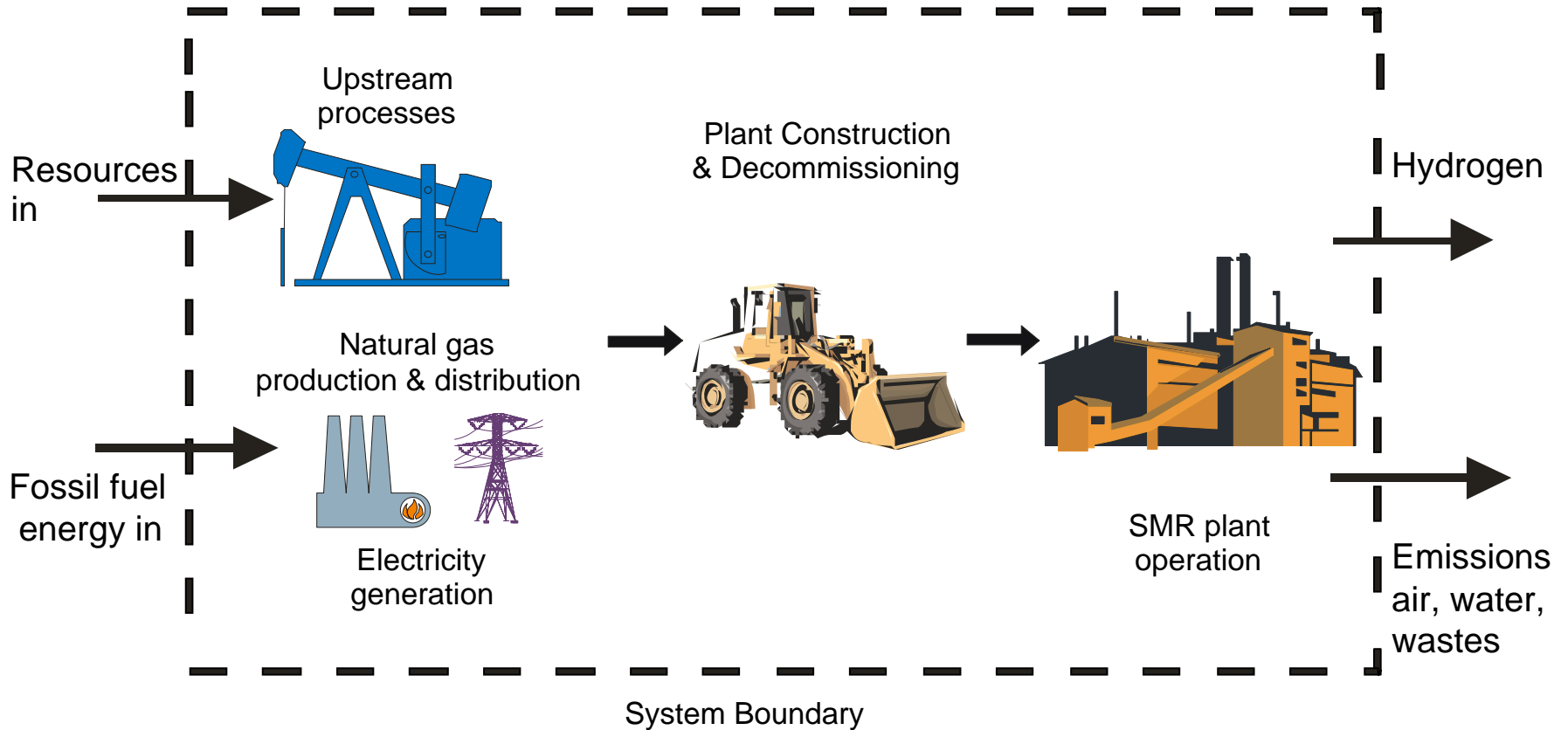


# Hydrogen Production Example

- **Make from steam methane reforming?**
- **Make from water electrolysis using wind power?**



# Steam Methane Reforming System Boundary Definition





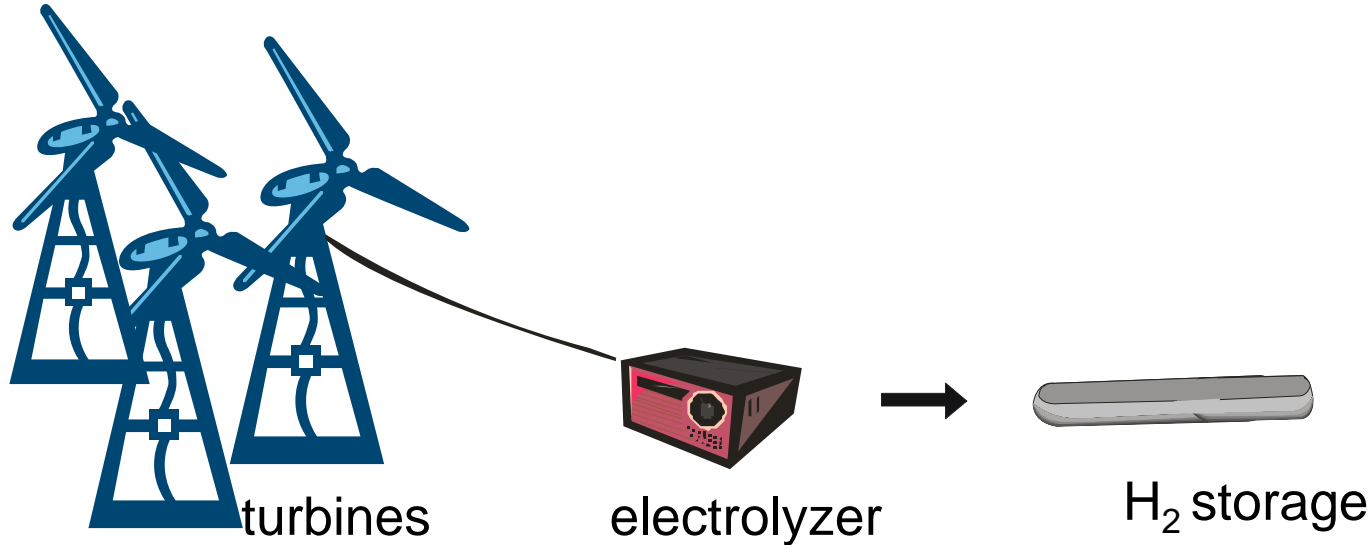


# SMR Results

- ✎ **H<sub>2</sub> is a clean fuel, but its production from natural gas has environmental consequences**
- ✎ **H<sub>2</sub> plant itself produces few emissions, except CO<sub>2</sub>**
- ✎ **CO<sub>2</sub> is the largest air emission (98 wt%) and accounts for 77% of the GWP**
- ✎ **0.64 MJ of H<sub>2</sub> produced for every 1 MJ of fossil energy consumed**



# Wind/Electrolysis Study



## Wind turbines:

-  Atlantic Orient Corporation (50kW x 3)
-  Class 5 wind data from upper Midwest site (North Dakota)

## Electrolyzer:

-  Stuart Energy (30 Nm<sup>3</sup>/hr nominal capacity)

**Cars fueled: fleet of 46 at 3 kg/car/week**



# **GWP and Energy Balance - Wind/Electrolysis**

## **Preliminary results:**

- **GWP = 650 g CO<sub>2</sub>-eq/kg H<sub>2</sub>**
  - Only 5% of the greenhouse gas emissions from SMR
- **Energy balance = 20 MJ of H<sub>2</sub> produced for every 1 MJ of fossil energy consumed**
  - 31 times more than the net energy balance from SMR
- **Emissions are from equipment manufacture**
  - Majority from concrete bases for wind turbines
  - Water consumption in electrolysis accounts for nearly all resources



# Hydrogen Production Choice?

- **Wind power offers significant reduction in GHG emissions**
- **For transportation, there is a mismatch between wind turbine energy availability and the large concentrated populations of cars**
- **Costs for hydrogen from wind power are MUCH higher than those from SMR**
- **For SMR, more fossil energy is consumed than H<sub>2</sub> energy produced**

# ACCURACY REFLECTS UNCERTAINTIES

- Technical accuracy is good
- Based on established engineering principles
  - Amount of fuel per year
  - Amount of stainless steel pipe
  - Average lifetime of valves
- Converting technical into \$ more difficult
  - Interest rates
  - Inflation rates
  - Cost of fuel



# AN LCA OF NUCLEAR FUEL COST INCLUDING SCARCITY

- Cost of nuclear fuel including scarcity
- Reference case:  $U = \$2000/\text{kg}$
- Breakdown from the MIT study for cost per kg
  - Ore \$437
  - Enrichment \$117
  - Fabrication \$825
  - Storage and Disposal \$351
  - Total \$2040



# Some Reference Numbers

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- $K_F = \text{Fuel cost}$  \$2000/kg-U
- $W_{th} = 1 \text{ GWe Therm. En.}$   $2.1 \times 10^{10} \text{ kWhr/yr}$
- $B = \text{Burn rate}$   $1.1 \times 10^6 \text{ kWhr/kg}$
- $M_F = W_{th}/B = \text{Fuel/yr}$   $2.0 \times 10^4 \text{ kg-U/yr}$
- $C_F = M_F \times K_F = 1^{\text{st}} \text{ yr fuel}$  \$42 M/yr
- $\text{COE}_{\text{Fuel}} = \text{Fuel cost/kWhr}$  0.56 cents/kWhr

# Focus on the cost of ore

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- 10 kg ore yields 1 kg ready to use U
- Cost of ore is thus \$44/kg-ore
- Ore reserves at this price =  $R_i$
- $R_i$  not well known
- Assume 50 years of reserves for 250 nukes
- Then

$$R_i = 10 \times 50 \times 250 \times M_F = 12.5 \times 10^4 M_F = 2.5 \times 10^9 \text{ kg-ore}$$

- Each nuke reduces reserves by  $10M_F t$  kg-ore



# Dwindling Reserves

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- Cheap reserves as a function of time

$$R_c(t) = R_i - 10NM_F t$$

- Cost of ore will increase rapidly as reserves dwindle
- Simple model

$$C_{ore}(t) = C_i \exp \left[ k_1 \left( \frac{R_i}{R_c} - 1 \right) \right] = C_i \exp \left[ k_1 \left( \frac{10NM_F t}{R_i - 10NM_F t} \right) \right]$$

- $k_1 = 2.3$

# Two Additional Effects

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- Number of nuclear plants may change with time
- As cost of ore goes up new reserves may be found
- Both effects have an impact on the amount of reserves

# The Number of Nukes

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- Three effects determining N
  - Replacement of old nukes
  - Replace old coal plants with CO2 free nukes
  - US electricity demand will increase each year – meet new demand with nukes
- Old nukes replaced by new nukes
- Old coal replacements =  $N_{\text{coal}}/T = 6.25/\text{yr}$
- New demand = % increase x total plants = 5

# The Number of Nukes (cont)

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- Combine terms

$$\begin{aligned} N(t) &= \text{Existing Nukes} + \text{Coal Replacement} + \text{New capacity} \\ &= N_{\text{nuke}} + \frac{N_{\text{coal}}}{T_p} t + 0.05N_{\text{nuke}} t \\ &= 100 + 11.3t \end{aligned}$$

- Here,  $N_{\text{nuke}} = 100$ ,  $N_{\text{coal}} = 250$ ,  $T_p = 40$  yrs,  $t$  is measured in years

# New Reserves

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- ❑ Reserves go down → cost of ore goes up
- ❑ Cost of ore goes up → search for new ore
- ❑ New reserves cost more than initial reserves
- ❑ But you lose more because of increasing demand than you gain with new reserves

# New Reserves (cont)

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- A simple model

$$R_i(t) = R_{i0} + k_3 \frac{C_{ore}(t) - C_i}{C_{ore}(t)} R_{i0} = 2.5 \times 10^9 \left( 1 + 2 \frac{C_{ore} - 44}{C_{ore}} \right)$$

- Here  $R_{i0} = 2.5 \times 10^9$  kg-ore,  $C_i = \$44 / \text{kg-ore}$ , and  $k_3 = 2$
- Note the feedback loop
  - $C_{ore}(t)$  depends on  $R_i(t)$
  - $R_i(t)$  depends on  $C_{ore}(t)$

# EQUATIONS FOR THE COST OF ORE ARE NON-LINEAR

- Known reserves and cost of ore are inter-related

$$C_{\text{ore}}(t) = C_i \exp \left[ k_1 \left( \frac{10N(t)M_F t}{R_i(t) - 10N(t)M_F t} \right) \right]$$

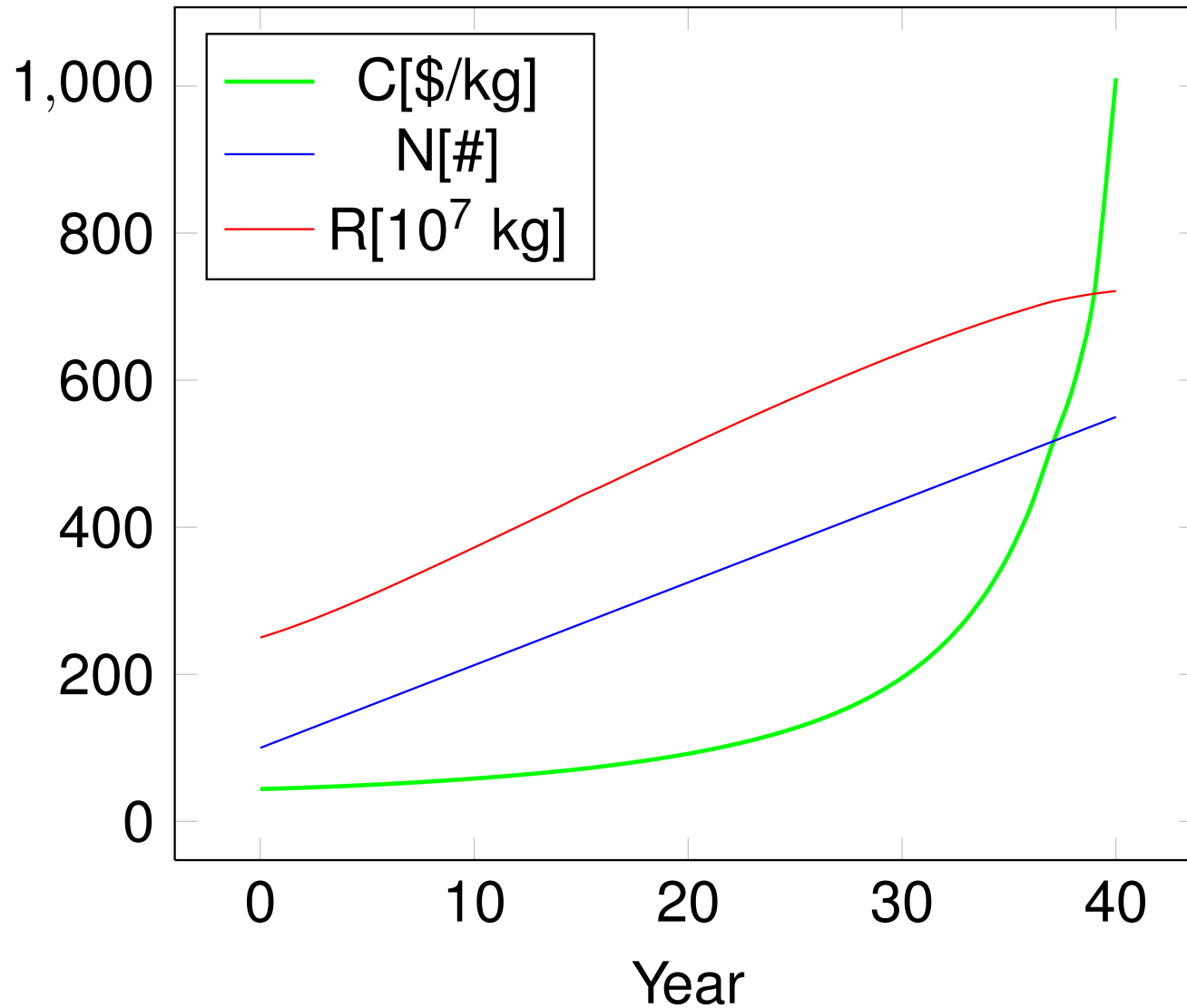
$$N(t) = N_{i0} + \left( \frac{N_{\text{coal}}}{T_p} + k_2 N_{i0} \right) t$$

$$R_i(t) = R_{i0} \left( 1 + k_3 \frac{C_{\text{ore}}(t) - C_i}{C_{\text{ore}}(t)} \right)$$

$$k_1 = 2.3, k_2 = 0.05, k_3 = 2$$



# COST OF ORE FROM SYSTEMS ANALYSIS



- Note the singular response around 40 years. What causes this?
- What does a plot of R vs C look like?





# CONCLUSION

- Cost of ore increases by 30
- Ore is 1/5 the cost of uranium
- COE of uranium = 0.56 cent/kWhr
- This yields 3.8 cents/kWhr
- Not as bad when you calculate the present value
- Still – it could be a problem
- Uncertainty: what is the sensitivity to  $k_1, k_2, k_3$



# RISK ANALYSIS

- ❑ Risk analysis involves accidents to people or mechanical failures
- ❑ Too many injuries or failures lower the capacity factor and reduce revenue
- ❑ We want to minimize risk but it is not possible to achieve zero risk
- ❑ Qualitatively risk can be written as

$$\text{Risk} = \text{Frequency} \times \text{Consequence}$$



# TYPES OF RISK

- ❑ Risk can be continuous or discrete
- ❑ Continuous: exposure to toxic fumes
- ❑ Discrete: steam pipe explosion
- ❑ Consequences could cause minor injuries
- ❑ Consequences could cause death
- ❑ Consequences could involve land or water contamination
- ❑ Even if no human or ecological damage, mechanical failures  
lower capacity factor



# AVOIDING RISK

Three basic approaches:

- ❑ Ultra robust design to minimize failure
- ❑ Redundancy – one system fails, another takes over
- ❑ Increased shut-downs for maintenance and repairs



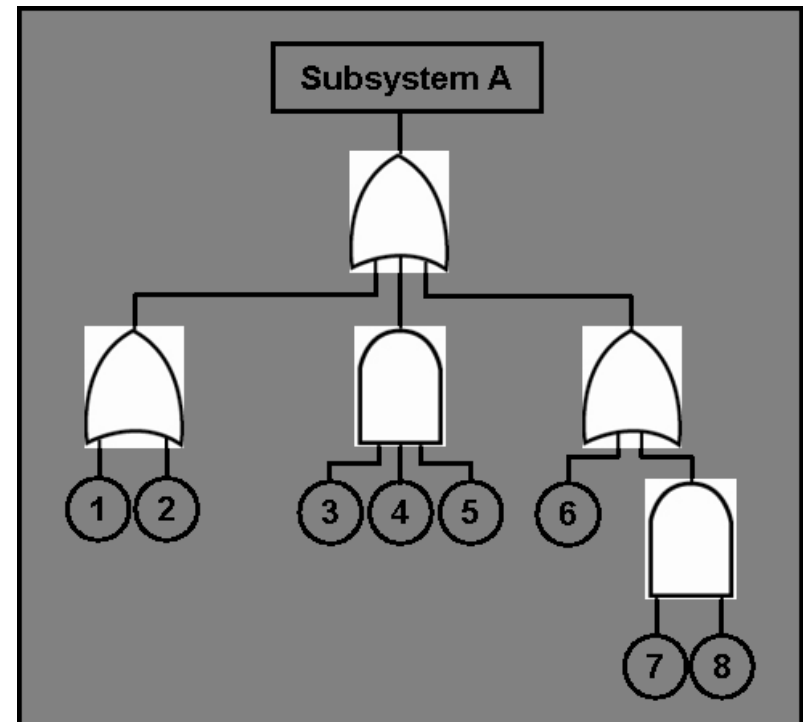
# DETERMINING RISK

- How do we determine risk?
- This is the realm of **risk analysis**
- Single component failures relatively easy
  - Qualification data available
  - History of real world experience
  - Can predict the mean time between failure
- Single small failures often harmless
- Single gigantic failures very rare



# COMPLEX FAILURES

- ❑ Largest danger: often a sequence of minor failures leads to major catastrophe
- ❑ For example: TMI, Challenger
- ❑ Analysis requires sophisticated tools
  - Fault tree analysis
  - Event tree analysis
  - Uncertainty analysis
- ❑ Probability of a severe accident
- ❑ Greater for a sequence of minor failures
- ❑ Smaller for a single major failure



**Fault Tree example**

# WHAT TO DO?

- Recommendations vary by group
- Builders tend to underestimate risks to keep the cost down
- Example: Don't worry – the Big Dig is safe
- Others tend to overestimate the risks to avoid or delay construction
  - Example: Nuclear is unsafe – don't build it.
  - Example: Wind kill birds – don't build it.
- Often the arbiter of risks are government agencies – the EPA, NRC, FDA, etc.
  - Desire risk informed regulations
  - Regulations consistent with severity of the risk



# An Illustrative example

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- How does risk affect construction cost of a power plant?
- Assume initial capital cost includes all regulations associated with risk
- As construction proceeds, new risks may be identified
- These can lead to new regulations
- New regulations lead to construction changes
- Change orders increase time and cost of construction



# The Construction Model

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- Assume the initial capital cost is  $C_{\text{cap}}$
- Assume the initial construction time is  $T_c$
- New regulations often occur randomly
- For simplicity assume that new regulations occur at the rate  $r$  per year
- Each new regulation increases cost by  $\Delta C$
- Each new regulation increases time by  $\Delta t$
- Goal: calculate the new cost of the plant including new regulations

# The New Construction Period

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- New construction time  $T_c' =$  original time  $T_c$  plus extra regulation time  $N\Delta t$
- $N = rT_c' =$  total number of changes
- Mathematically

$$T_c' = T_c + N\Delta t = T_c + rT_c'\Delta t$$

- Solve for  $T_c'$

$$T_c' = \frac{T_c}{1 - r\Delta t}$$

- Note that  $r\Delta t < 1$  for completion

# The New Cost

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- A similar argument holds for the new cost

$$C'_{cap} = C_{cap} + N\Delta C = C_{cap} + \frac{rT_c}{1 - r\Delta t} \Delta C$$

- Note that  $\Delta t$  and  $\Delta C$  are related
- Make  $\Delta t$  larger – fewer workers needed, leads to lower costs
- But they are paid over a longer time
- Fixed costs (e.g. insurance, benefits, etc.) lead to a net increase in  $C_{cap}$  due to delays

# Model for $\Delta C$

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- Increment includes hardware and labor

$$\Delta C = \Delta C_{hard} + \Delta C_{labor}$$

- Labor costs increase as  $\Delta t$  increases
- Incremental labor costs are assumed to scale linearly with initial labor costs  $C_{labor}$

$$\Delta C_{labor} = k_1 C_{labor} \frac{\Delta t}{T_c}$$

- $k_1$  is a constant about equal to 1

# The Bottom Line

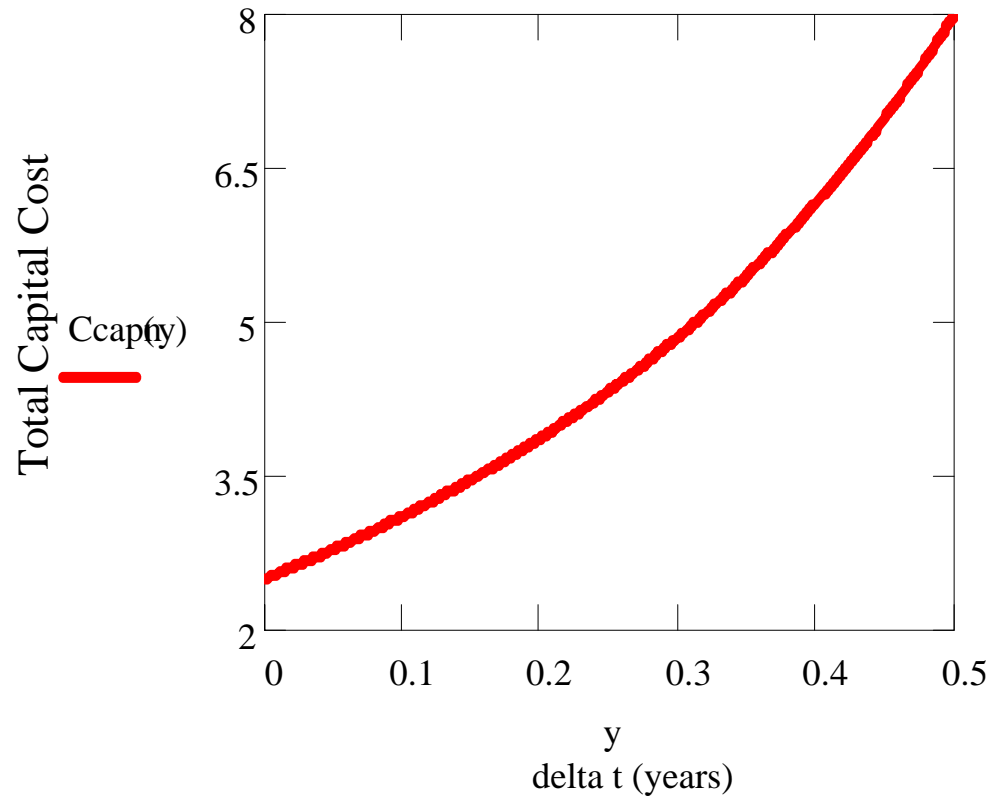
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- The new construction cost is given by

$$C'_{cap} = C_{cap} + \frac{rT_c}{1 - r\Delta t} \left( \Delta C_{hard} + k_1 C_{labor} \frac{\Delta t}{T_c} \right)$$

- The best strategy
- Finish construction as soon as possible even if it means borrowing more money up front

# Capital Cost vs. $\Delta t$



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